flagme: Fragment-level analysis of GCMS-based metabolomics data

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1 Introduction

This document gives a brief introduction to the flagme package, which is designed to process, visualize and statistically analyze sets of GCMS samples. The ideas discussed here were originally designed with GCMS-based metabolomics in mind, but indeed some of the methods and visualizations could be useful for LC-MSMS datasets. The *fragment-level analysis* though, takes advantage of the rich fragmentation patterns observed from electron impact ionization.

There are many aspects of data processing for GCMS data. Generally, algorithms are run separately on each sample to detect features, or *peaks* (e.g. AMDIS). Due to retention time shifts from run-to-run, an alignment algorithm is employed to allow the matching of the same feature across multiple samples. Alternatively, if known standards are introduced to the samples, retention *indices* can be computed for each peak and used for alignment. After peaks are matched across all samples, further processing steps are employed to create a matrix of abundances, leading into detecting differences in abundance.

Many of these data processing steps are prone to errors and they often tend to be black boxes. But, with effective exploratory data analysis, many of the pitfalls can be avoided and any problems can be fixed before proceeding to the downstream statistical analysis. The package provides various visualizations to ensure the methods applied are not black boxes.

The flagme package gives a complete suite of methods to go through all common stages of data processing. In addition, R is especially well suited to the downstream data analysis tasks since it is very rich in analysis tools and has excellent visualization capabilities. In addition, it is freely available (www.r-project.org), extensible and there is a growing community of users and developers. For routine analyses, graphical user interfaces could be designed.

2 Reading and visualizing GCMS data

To run these examples, you must have the gcspikelite package installed. This data package contains several GCMS samples from a spike-in experiment we designed to interrogate data processing methods. So, first, we load the packages:

To load the data and corresponding peak detection results, we simply create vectors of the filenames and create a peakDataset object. Note that we can speed up the import time by setting the retention time range to a subset of the elution, as below:

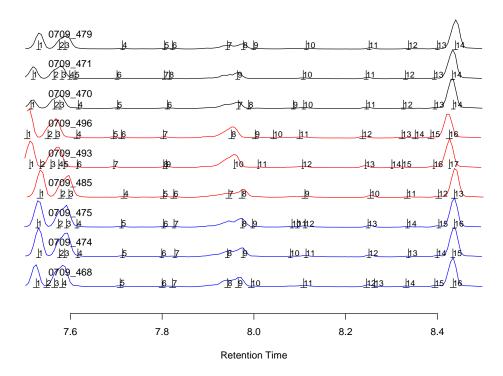
```
> gcmsPath <- paste(.find.package("gcspikelite"), "data", sep = "/")
> data(targets)
> cdfFiles <- paste(gcmsPath, targets$FileName, sep = "/")
> eluFiles <- gsub("CDF", "ELU", cdfFiles)
> pd <- peaksDataset(cdfFiles, mz = seq(50, 550), rtrange = c(7.5, + 8.5))</pre>
```

```
/home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_468.CDF
         /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_474.CDF
 Reading
 Reading
         /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_475.CDF
         /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_485.CDF
 Reading
 Reading
         /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_493.CDF
 Reading /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_496.CDF
         /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_470.CDF
 Reading
 Reading
         /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_471.CDF
Reading
         /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_479.CDF
> pd <- addAMDISPeaks(pd, eluFiles)
Reading retention time range: 7.500133 8.499917
Reading /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_468.ELU ... Done.
Reading /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_474.ELU ... Done.
Reading /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_475.ELU ... Done.
Reading /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_485.ELU ... Done.
Reading /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_493.ELU ... Done.
Reading /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_496.ELU ... Done.
Reading /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_470.ELU ... Done.
Reading /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_471.ELU ... Done.
Reading /home/biocbuild/bbs-2.5-bioc/R/library/gcspikelite/data/0709_479.ELU ... Done.
> pd
An object of class "peaksDataset"
9 samples: 0709_468 0709_474 0709_475 0709_485 0709_493 0709_496 0709_470 0709_471 0709_479
501 m/z bins - range: (50 550)
scans: 175 175 175 175 175 174 175 175 175
peaks: 16 15 16 13 17 16 14 14 14
```

Here, we have added peaks from AMDIS, a well known and mature algorithm for deconvolution of GC-MS data. For GC-TOF-MS data, we have implemented a parser for the ChromaTOF output (see the analogous addChromaTOF-Peaks function). Support for XMCS or MzMine may be added in the future. Ask the author if another detection result format is desired as the parsers are generally easy to design.

Regardless of platform and peak detection algorithm, a useful visualization of a set of samples is the set of total ion currents (TIC), or extracted ion currents (XICs). To view TICs, you can call:

```
> plot(pd, rtrange = c(7.5, 8.5), plotPeaks = TRUE, plotPeakLabels = TRUE,
+ max.near = 8, how.near = 0.5, col = rep(c("blue", "red",
+ "black"), each = 3))
```



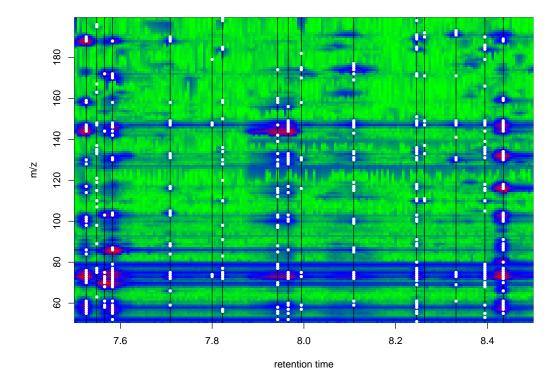
Note here the little *hashes* represent the detected peaks and are labeled with an integer index. One of the main challenges is to match these peak detections across several samples, given that the appear at slightly different times in different runs.

For XICs, you need to give the indices (of pd@mz, the grid of mass-to-charge values) that you want to plot through the mzind argument. This could be a single ion (e.g. mzind=24) or could be a range of indices if multiple ions are of interest (e.g. mzind=c(24,25,98,99)).

There are several other features within the plot command on peaksDataset objects that can be useful. See ?plot (and select the flagme version) for full details.

Another useful visualization, at least for individual samples, is a 2D heatmap of intensity. Such plots can be enlightening, especially when peak detection results are overlaid. For example (with detected fragment peaks from AMDIS shown in white):

```
> r <- 1
> plotImage(pd, run = r, rtrange = c(7.5, 8.5), main = "")
> v <- which(pd@peaksdata[[r]] > 0, arr.ind = TRUE)
> abline(v = pd@peaksrt[[r]])
> points(pd@peaksrt[[r]][v[, 2]], pd@mz[v[, 1]], pch = 19, cex = 0.6,
+ col = "white")
```



3 Pairwise alignment with dynamic programming algorithm

One of the first challenges of GCMS data is the matching of detected peaks (i.e. metabolites) across several samples. Although gas chromatography is quite robust, there can be some drift in the elution time of the same analyte from run to run. We have devised a strategy, based on dynamic programming, that takes into account both the similarity in spectrum (at the apex of the called peak) and the similarity in retention time, without requiring the identity of each peak; this matching uses the data alone. If each sample gives a 'peak list' of the detected peaks (such as that from AMDIS that we have attached to our peaksDataset object), the challenge is to introduce gaps into these lists such that they are best aligned. From this a matrix of retention times or a matrix of peak abundances can be extracted for further statistical analysis, visualization and interpretation. For this matching, we created a procedure analogous to a multiple sequence alignment.

To highlight the dynamic programming-based alignment strategy, we first illustrate a pairwise alignment of two peak lists. This example also illustrates the selection of parameters necessary for the alignment. From the data read in previously, let us consider the alignment of two samples, denoted 0709_468 and 0709_474. First, a similarity matrix for two samples is calculated. This is calculated based on a scoring function and takes into account the similarity in retention time and in the similarity of the apex spectra, according to:

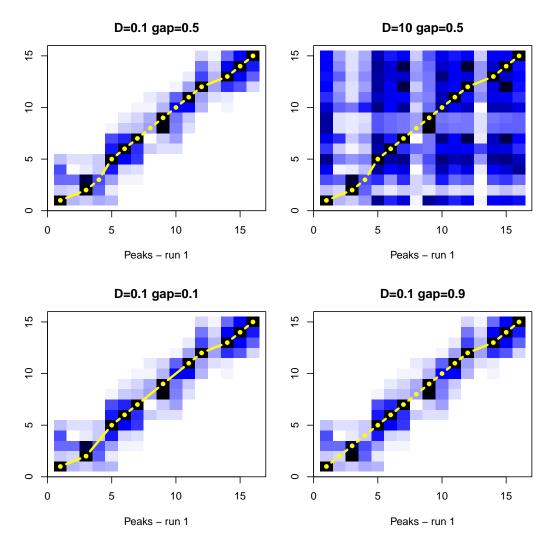
$$S_{ij}(D) = \frac{\sum_{k=1}^{K} x_{ik} y_{jk}}{\sqrt{\sum_{k=1}^{K} x_{ik}^2 \cdot \sum_{k=1}^{K} y_{jk}^2}} \cdot \exp\left(-\frac{1}{2} \frac{(t_i - t_j)^2}{D^2}\right)$$

where i is the index of the peak in the first sample and j is the index of the peak in the second sample, \mathbf{x}_i and \mathbf{y}_j are the spectra vectors and t_i and t_j are their respective retention times. As you can see, there are two components to the similarity: spectra similarity (left term) and similarity in retention time (right term). Of course, other metrics

for spectra similarity are feasible. Ask the author if you want to see other metrices implemented. We have some non-optimized code for a few alternative metrics.

The peak alignment algorithm, much like sequence alignments, requires a gap parameter to be set, here a number between 0 and 1. A high gap penalty discourages gaps when matching the two lists of peaks and a low gap penalty allows gaps at a very low cost. We find that a gap penalty in the middle range (0.4-0.6) works well for GCMS peak matching. Another parameter, D, modulates the impact of the difference in retention time penalty. A large value for D essentially eliminates the effect. Generally, we set this parameter to be a bit larger than the average width of a peak, allowing a little flexibility for retention time shifts between samples. Keep in mind the D parameter should be set on the scale (i.e. seconds or minutes) of the peaksrt slot of the peaksDataset object. The next example shows the effect of the gap and D penalty on the matching of a small ranges of peaks.

```
> Ds \leftarrow c(0.1, 10, 0.1, 0.1)
> gaps <- c(0.5, 0.5, 0.1, 0.9)
> par(mfrow = c(2, 2), mai = c(0.8466, 0.4806, 0.4806, 0.1486))
> for (i in 1:4) {
      pa <- peaksAlignment(pd@peaksdata[[1]], pd@peaksdata[[2]],</pre>
          pd@peaksrt[[1]], pd@peaksrt[[2]], D = Ds[i], gap = gaps[i])
      plot(pa, xlim = c(0, 17), ylim = c(0, 16), matchCol = "yellow",
          main = paste("D=", Ds[i], " gap=", gaps[i], sep = ""))
+ }
[peaksAlignment] Comparing 16 peaks to 15 peaks -- gap= 0.5 D= 0.1
[peaksAlignment]
                  14 matched.
                               Similarity = 0.1527469
[peaksAlignment] Comparing 16 peaks to 15 peaks -- gap= 0.5 D= 10
[peaksAlignment]
                               Similarity= 0.1352086
                  14 matched.
[peaksAlignment] Comparing 16 peaks to 15 peaks -- gap= 0.1 D= 0.1
[peaksAlignment]
                  11 matched.
                               Similarity= 0.01871157
[peaksAlignment] Comparing 16 peaks to 15 peaks -- gap= 0.9 D= 0.1
[peaksAlignment]
                  15 matched. Similarity= 0.2265905
```



You might ask: is the flagme package useful without peak detection results? Possibly. There have been some developments in alignment (generally on LC-MS proteomics experiments) without peak/feature detection, such as Prince et al. 2006, where a very similar dynamic programming is used for a pairwise alignment. We have experimented with alignments without using the peaks, but do not have any convincing results. It does introduce a new set of challenges in terms of highlighting differentially abundant metabolites. However, in the peaksAlignment routine above (and those mentioned below), you can set usePeaks=FALSE in order to do scan-based alignments instead of peak-based alignments. In addition, the flagme package may be useful simply for its bare-bones dynamic programming algorithm.

3.1 Normalizing retention time score to drift estimates

In what is mentioned above for pairwise alignments, we are penalizing for differences in retention times that are non-zero. But, as you can see from the TICs, some differences in retention time are consistent. For example, all of the peaks from sample 0709_485 elute at later times than peaks from sample 0709_496. We should be able to estimate this drift and normalize the time penalty to that estimate, instead of penalizing to zero. That is, we should replace $t_i - t_j$ with $t_i - t_j - \hat{d}_{ij}$ where \hat{d}_{ij} is the expected drift between peak i of the first sample and peak j of the second sample.

More details coming soon.

3.2 Imputing location of undetected peaks

One goal of the alignment leading into downstream data analyses is the generation of a table of abundances for each metabolite across all samples. As you can see from the TICs above, there are some low intensity peaks that fall below detection in some but not all samples. Our view is that instead of inserting arbitrary low constants (such as 0 or half the detection limit) or imputing the intensities post-hoc or having missing data in the data matrices, it is best to return to the area of the where the peak should be and give some kind of abundance. The alignments themselves are rich in information with respect to the location of undetected peaks. We feel this is a more conservative and statistically valid approach than introducing arbitrary values.

More details coming soon.

4 Multiple alignment of several experimental groups

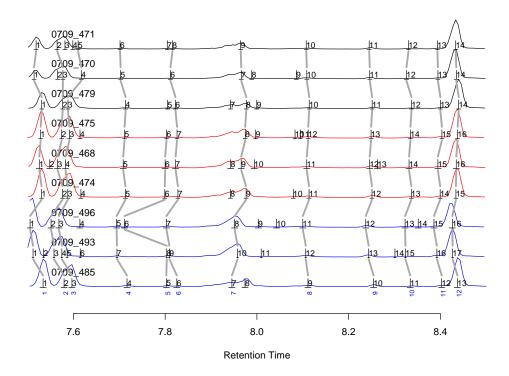
Next, we discuss the multiple alignment of peaks across many samples. With replicates, we typically do an alignment within replicates, then combine these together into a summarized form. This cuts down on the computational cost. For example, consider 2 sets of samples, each with 5 replicates. Aligning first within replicates requires 10+10+1 total alignments whereas an all-pairwise alignment requires 45 pairwise alignments. In addition, this allows some flexibility in setting different gap and distance penalty parameters for the *within* alignment and *between* alignment. An example follows.

> print(targets)

```
FileName Group
1 0709_468.CDF
                 mmA
2 0709_474.CDF
                 mm A
3 0709_475.CDF
                 mmA
4 0709_485.CDF
                 mmC
5 0709_493.CDF
                 mmC
6 0709_496.CDF
                 mmC
7 0709_470.CDF
                 mmD
8 0709_471.CDF
                 mmD
9 0709_479.CDF
                 mmD
> ma <- multipleAlignment(pd, group = targets$Group, wn.gap = 0.5,
      wn.D = 0.05, bw.gap = 0.6, bw.D = 0.05, usePeaks = TRUE,
      filterMin = 2, df = 50, verbose = FALSE)
> ma
An object of class "multipleAlignment"
3 groups: 3 3 3 samples, respectively.
12 merged peaks
```

If you set verbose=TRUE, many nitty-gritty details of the alignment procedure are given. Next, we can take the alignment results and overlay it onto the TICs, allowing a visual inspection.

```
> plot(pd, rtrange = c(7.5, 8.5), runs = ma@betweenAlignment@runs,
+ mind = ma@betweenAlignment@ind, plotPeaks = TRUE, plotPeakLabels = TRUE,
+ max.near = 8, how.near = 0.5, col = rep(c("blue", "red",
+ "black"), each = 3))
```



4.1 Gathering results

The alignment results can be extracted from the ${\tt multipleAlignment}$ object as:

> ma@betweenAlignment@runs

[1] 4 5 6 2 1 3 9 7 8

> ma@betweenAlignment@ind

	[,1]	[,2]	[,3]	[, 4]	[,5]	[,6]	[,7]	[,8]	[,9]
[1,]	1	1	1	1	1	1	1	1	1
[2,]	2	3	2	2	3	2	2	3	2
[3,]	3	4	3	3	4	3	3	4	5
[4,]	4	7	5	5	5	5	4	5	6
[5,]	5	8	6	6	6	6	NA	NA	NA
[6,]	6	9	7	7	7	7	6	6	8
[7,]	7	10	8	9	9	8	8	7	9
[8,]	9	12	11	11	11	12	10	10	10
[9,]	10	13	12	12	12	13	11	11	11
[10,]	11	15	13	13	14	14	12	12	12
[11,]	12	16	15	14	15	15	13	13	13
[12,]	13	17	16	15	16	16	14	14	14

This table would suggest that matched peak 8 (see numbers below the TICs in the figure above) corresponds to detected peaks 9, 12, 11 in runs 4, 5, 6 and so on, same as shown in the above plot.

In addition, you can gather a list of all the merged peaks with the gatherInfo function, giving elements for the retention times, the detected fragment ions and their intensities. The example below also shows the how to construct a table of retention times of the matched peaks (No attempt is made here to adjust retention times onto a common scale. Instead, the peaks are matched to each other on their original scale). For example:

```
> outList <- gatherInfo(pd, ma)
> outList[[8]]
$rt
   mmC.4
            mmC.5
                      mmC.6
                               mmA.2
                                         mmA.1
                                                  mmA.3
                                                            mmD.9
                                                                     mmD.7
8.111250 8.106500 8.100067 8.113633 8.108633 8.111700 8.114000 8.108767
   mmD.8
8.107517
$mz
                              87 100 101 130 131 133 146 147 148 149 174 175 176
 [1]
      59
             73 74
                     75
                           86
[20] 217
$data
          mmC.4
                     mmC.5
                               mmC.6
                                          mmA.2
                                                    mmA.1
                                                               mmA.3
                                                                          mmD.9
       9203.875 10687.500
                            8023.250
                                       7989.500
                                                 8717.250 10155.125
 [1,]
                                                                       8182.375
       9456.250 12360.500
                            9789.750
                                       9833.500 10978.125 11737.500
                                                                       8737.500
 [3,] 45625.125 59040.000 45470.125
                                      46301.375 56285.625 55600.750 40748.625
 [4,] 15064.250 19461.250 15397.250
                                     14878.500 17797.750 17549.500 13990.250
 [5,] 20867.500 24604.625 21896.250
                                     20085.505 20359.250 21864.625 20094.250
 [6,] 12243.691 15481.000
                            9914.500
                                     12413.500 13389.000 14083.250 10799.250
 [7,]
       3534.750
                  4540.056
                            2865.500
                                       3507.500
                                                 3450.250
                                                            3980.625
                                                                       2831.000
       5081.625
                 7329.875
                            4743.500
                                       5592.250
                                                 6204.500
                                                            7498.000
                                                                       4939.000
 [8,]
 [9,]
       2657.250
                  3081.333
                            2365.125
                                       2546.375
                                                 3004.292
                                                            3189.542
                                                                       2164.000
[10,]
       5226.155
                  6530.357
                            4516.750
                                       4911.750
                                                 5479.056
                                                            6376.875
                                                                       4776.875
[11,]
       3201.125
                  4450.500
                            3058.125
                                       3133.375
                                                 4010.146
                                                            4142.942
                                                                       3078.875
[12,]
       6195.413
                  8321.625
                            5156.814
                                       6092.926
                                                 6747.729
                                                            7221.129
                                                                       6230.508
[13,]
       6193.415
                  8003.875
                            7007.648
                                       6680.875
                                                 6501.875
                                                            7211.638
                                                                       6499.535
[14,] 29219.500 40192.750
                           34608.625
                                      32571.625
                                                33579.625
                                                           36438.375 32527.000
[15,] 10091.875 12914.125
                           11678.250
                                      10716.375
                                                11032.500
                                                           11979.750
                                                                     10656.750
[16,]
       3936.125
                 5422.842
                            4245.798
                                       3582.750
                                                 4316.371
                                                            4414.205
                                                                       3963.750
[17,] 63507.350 82628.250 39709.639 61963.309 66477.000 78801.387 53441.697
[18,] 21461.937 27048.733
                           16971.940
                                      20580.668
                                                21820.016
                                                           29616.939
                                                                     19897.269
[19,]
       6445.879
                 9187.045
                            4081.326
                                       6171.375
                                                 6908.146
                                                            9043.526
                                                                       6351.324
[20,]
       5442.576
                  8159.625
                            8437.686
                                       7822.136
                                                 7614.560
                                                            7984.768
                                                                       8101.103
          mmD.7
                     mmD.8
 [1,]
       9668.500
                 9511.750
 [2,] 10415.500 11617.625
 [3,] 49794.750 55745.500
 [4,] 16374.000 17709.250
 [5,] 22150.500 21862.000
 [6,] 13224.750 13168.407
 [7,]
       3350.500
                  3518.611
       7075.328
                  6687.125
 [8,]
 [9,]
       3424.750
                 3167.250
[10,]
       5743.619
                  6032.500
       4063.500
                  3809.375
[11,]
```

```
7419.125
                 7662.125
[13,]
      5024.229
                 5451.208
[14,] 33329.168 35810.568
[15,] 10896.875 11735.375
[16,] 4111.159
                 4199.250
[17,] 71307.287 64519.010
[18.] 24590.403 26420.482
[19,]
      8287.990
                 7470.064
[20,] 7370.812 8116.438
> rtmat <- matrix(unlist(lapply(outList, .subset, "rt"), use.names = FALSE),
      nr = length(outList), byrow = TRUE)
> colnames(rtmat) <- names(outList[[1]]$rt)</pre>
> rownames(rtmat) <- 1:nrow(rtmat)</pre>
> round(rtmat, 3)
  mmC.4 mmC.5 mmC.6 mmA.2 mmA.1 mmA.3 mmD.9 mmD.7 mmD.8
  7.534 7.512 7.506 7.531 7.526 7.529 7.531 7.514 7.519
  7.580 7.558 7.551 7.576 7.566 7.574 7.577 7.577 7.565
  7.597 7.575 7.569 7.588 7.583 7.592 7.588 7.617 7.610
  7.717 7.695 7.694 7.714 7.709 7.712 7.714 7.703 7.702
  7.803 7.804 7.711 7.799 7.800 7.803
                                          NA
                                                 NA
                                                       NA
  7.825 7.809 7.803 7.828 7.823 7.826 7.823 7.812 7.816
6
  7.946 7.958 7.951 7.976 7.966 7.975 7.977 7.966 7.965
  8.111 8.107 8.100 8.114 8.109 8.112 8.114 8.109 8.108
  8.254 8.244 8.237 8.251 8.246 8.249 8.251 8.246 8.245
10 8.334 8.324 8.323 8.337 8.332 8.335 8.337 8.326 8.330
11 8.403 8.392 8.386 8.399 8.394 8.403 8.400 8.395 8.393
12 8.437 8.427 8.426 8.434 8.434 8.437 8.440 8.435 8.433
```

5 Future improvements and extension

There are many procedures that we have implemented in our investigation of GCMS data, but have not made part of the package just yet. Some of the most useful procedures will be released, such as:

- 1. Parsers for other peak detection algorithms (e.g. XCMS, MzMine) and parsers for other alignment procedures (e.g. SpectConnect) and perhaps retention indices procedures.
- 2. More convenient access to the alignment information and abundance table.
- 3. Statistical analysis of differential metabolite abundance.
- 4. Fragment-level analysis, an alternative method to summarize abundance across all detected fragments of a metabolite peak.

6 References

See the following for further details:

Robinson MD. Methods for the analysis of gas chromatography - mass spectrometry data. Ph.D. Thesis. October 2008. Department of Medical Biology (Walter and Eliza Hall Institute of Medical Research), University of Melbourne.

- 2. Robinson MD, De Souza DP, Keen WW, Saunders EC, McConville MJ, Speed TP, Likić VA. (2007) A dynamic programming approach for the alignment of signal peaks in multiple gas chromatography-mass spectrometry experiments. BMC Bioinformatics. 8:419.
- 3. Prince JT, Marcotte EM (2006) Chromatographic alignment of ESI-LC-MS proteomics data sets by ordered bijective interpolated warping. Anal Chem. 78(17):6140-52.

7 This vignette was built with/at ...

> sessionInfo()

R version 2.10.0 (2009-10-26) x86_64-unknown-linux-gnu

locale:

[1] LC_CTYPE=en_US.UTF-8 LC_NUMERIC=C

[3] LC_TIME=en_US.UTF-8 LC_COLLATE=en_US.UTF-8
[5] LC_MONETARY=C LC_MESSAGES=en_US.UTF-8

[7] LC_PAPER=en_US.UTF-8 LC_NAME=C
[9] LC_ADDRESS=C LC_TELEPHONE=C

[11] LC_MEASUREMENT=en_US.UTF-8 LC_IDENTIFICATION=C

attached base packages:

[1] grid tools stats graphics grDevices utils datasets

[8] methods base

other attached packages:

[1] gplots_2.7.3 caTools_1.10 bitops_1.0-4.1 gdata_2.6.1 [5] gtools_2.6.1 flagme_1.2.0 SparseM_0.80 xcms_1.20.0

[9] gcspikelite_1.0.2

> date()

[1] "Wed Oct 28 02:24:39 2009"