

Uneven Weir Calcs is based on the following weir equation.

$$Q = CLH^{1.5}$$

where, Q = weir flow, in cfs

C = weir coefficient

L = weir length, in ft

H = water energy grade above weir crest, in ft

The flow over any section of the uneven weir could be obtained by integrating above equation over the weir section.

$$\begin{aligned} Q_{UNIT} &= \int_{STA1}^{STA2} CH^{1.5} dx \\ &= \int_{STA1}^{STA2} C(b - ax)^{1.5} dx \\ &= \frac{C}{2.5a} [(b - a \cdot STA1)^{2.5} - (b - a \cdot STA2)^{2.5}] \end{aligned}$$

where,

$$H = \left(ENGEL - ELEV1 + \frac{ELEV2 - ELEV1}{STA2 - STA1} STA1 \right) - \frac{ELEV2 - ELEV1}{STA2 - STA1} x = b - ax$$

$$b = \left(ENGEL - ELEV1 + \frac{ELEV2 - ELEV1}{STA2 - STA1} STA1 \right)$$

$$a = \frac{ELEV2 - ELEV1}{STA2 - STA1}$$

ENGEL = energy grade line elevation, in ft

ELEV1 = elevation of one end of the weir section, in ft

STA1 = station of one end of the weir section, in ft

ELEV2 = elevation of the other end of the weir section, in ft

STA2 = station of the other end of the weir station, in ft

The above integration assumed $ENGEL \geq ELEV1$ and $ENGEL \geq ELEV2$. In case this is not true,

- (1) When $ENGEL > ELEV1$ and $ENGEL < ELEV2$, $(STA3, ENGEL)$ should replace $(STA2, ELEV2)$ in the integration.

$$STA3 = \frac{(ELEV2 - ENGEL)STA1 + (ENGEL - ELEV1)STA2}{ELEV2 - ELEV1}$$

- (2) When $ENGEL < ELEV1$ and $ENGEL > ELEV2$, $(STA3, ENGEL)$ should replace $(STA1, ELEV1)$ in the integration.
- (3) When $ENGEL \leq ELEV1$ and $ENGEL \leq ELEV2$, $Q_{unit} = 0$

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