

Package ‘mixedBayes’

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Type Package

Title Bayesian Longitudinal Regularized Quantile Mixed Model

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Description With high-dimensional omics features, repeated measure ANOVA leads to longitudinal gene-environment interaction studies that have intra-cluster correlations, outlying observations and structured sparsity arising from the ANOVA design. In this package, we have developed robust sparse Bayesian mixed effect models tailored for the above studies (Fan et al. (2025) <[doi:10.1093/jrsssc/qlaf027](https://doi.org/10.1093/jrsssc/qlaf027)>). An efficient Gibbs sampler has been developed to facilitate fast computation. The Markov chain Monte Carlo algorithms of the proposed and alternative methods are efficiently implemented in 'C++'. The development of this software package and the associated statistical methods have been partially supported by an Innovative Research Award from Johnson Cancer Research Center, Kansas State University.

Depends R (>= 4.2.0)

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URL <https://github.com/kunfa/mixedBayes>

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mixedBayes-package	<i>Bayesian Longitudinal Regularized Quantile Mixed Model</i>
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Description

In this package, we provide implementations of a set of high-dimensional robust Bayesian mixed-effect models to dissect longitudinal gene-environment interactions. The proposed method conducts robust Bayesian variable selection on both the main and interaction effects corresponding to individual and group levels (i.e. bi-level), respectively. Alternatively, selections only on individual levels by ignoring the grouping structure can also be performed. In addition, intra-cluster correlations among repeated measures are modeled via random intercept-and-slope and/or random intercept models. Imposing exact sparsity through spike-and-slab priors can be conducted on fixed effects with bi-level and/or individual level. In total, package mixedBayes provides implementations on 2 (robust and non-robust) $\times 2$ (types of fixed effects) $\times 2$ (types of random effects) $\times 2$ (spike-and-slab or Laplacian priors) = 16 methods. Please read the details below for how to configure the method used.

Details

The user friendly, integrated interface **mixedBayes()** allows users to flexibly choose the fitting methods by specifying the following parameter:

- slope: whether to use random intercept-and-slope model or random intercept model.
- robust: whether to use robust or non-robust methods.
- quant: to specify different quantiles when using robust methods.
- structure: whether to specify bi-level or individual level.
- sparse: whether to use the spike-and-slab priors to impose sparsity.

The function **mixedBayes()** returns a **mixedBayes** object that contains the posterior estimates of each coefficients. S3 generic functions **selection()** and **print()** are implemented for **mixedBayes** objects. **selection()** takes a **mixedBayes** object and returns the variable selection results.

References

- Fan, K., Jiang, Y., Ma, S., Wang, W. and Wu, C. (2025). Robust Sparse Bayesian Regression for Longitudinal Gene-Environment Interactions. *Journal of the Royal Statistical Society Series C: Applied Statistics*, qlaf027 [doi:10.1093/jrsssc/qlaf027](https://doi.org/10.1093/jrsssc/qlaf027)
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- Wu, C., Zhong, P.S. and Cui, Y. (2013). High dimensional variable selection for gene-environment interactions. *Technical Report. Michigan State University*.

See Also

[mixedBayes](#)

data

simulated data for demonstrating the features of mixedBayes

Description

Simulated gene expression data for demonstrating the features of mixedBayes.

Format

The data object consists of seven components: y, e, X, g, w, k and coeff. coeff contains the true values of parameters (main and interaction effects) used for generating Y.

Details

The data and model setting

Consider a longitudinal study on n subjects with k repeated measurement for each subject. Let Y_{ij} be the measurement for the i th subject at each time point j ($1 \leq i \leq n, 1 \leq j \leq k$). We use the m -dimensional vector G_{ij} to denote measurements of genetics factors for the i th subject at time point j , where $G_{ij} = (G_{ij1}, \dots, G_{ijm})^\top$. Also, we use p -dimensional vector E_{ij} to denote the environment factors, where $E_{ij} = (E_{ij1}, \dots, E_{ijp})^\top$. $X_{ij} = (1, T_{ij})^\top$, where $T_{ij}^\top$ is a vector of time effects. Z_{ij} is a $h \times 1$ covariate associated with random effects and α_i is a $h \times 1$ vector of random effects. In a typical one-way repeated measure ANOVA with a fixed number (say four) of factor levels, the environment (or treatment) factor is modelled as a group of three dummy variables. Therefore, gene-environment (or treatment) interaction leads to variable selections on individual levels (main effects) and group levels (interaction effect) simultaneously. Considering the genetics factors, environment (or treatment) factors and their interactions that are jointly associated with the longitudinal phenotype, we have the following mixed-effects model:

$$Y_{ij} = X_{ij}^\top \gamma_0 + E_{ij}^\top \gamma_1 + G_{ij}^\top \gamma_2 + (G_{ij} \otimes E_{ij})^\top \gamma_3 + Z_{ij}^\top \alpha_i + \epsilon_{ij}.$$

where $\gamma_1, \gamma_2, \gamma_3$ are p, m and mp dimensional vectors that represent the coefficients of the environment effects, the genetics effects and interactions effects, respectively. In addition, γ_0 is the coefficient vector for X_{ij} . The gene-environment interactions that can be expressed as a Kronecker product between the two types of main effects as a mp -dimensional vector:

$$G_{ij} \otimes E_{ij} = [G_{ij1}E_{ij1}, G_{ij1}E_{ij2}, \dots, G_{ij1}E_{ijp}, G_{ij2}E_{ij1}, \dots, G_{ijm}E_{ijp}]^\top.$$

The above model also includes Z_{ij} with random effects α_i to account for intra-correlations among repeated measurements. For random intercept-and-slope model, $Z_{ij}^\top = (1, j)$ and $\alpha_i = (\alpha_{i1}, \alpha_{i2})^\top$. For random intercept model, $Z_{ij}^\top = 1$ and $\alpha_i = \alpha_{i1}$.

See Also

[mixedBayes](#)

Examples

```
data(data)
length(y)
dim(g)
dim(e)
dim(w)
print(k)
print(X)
print(coeff)
```

mixedBayes

*fit a Bayesian longitudinal regularized quantile mixed model***Description**

fit a Bayesian longitudinal regularized quantile mixed model

Usage

```

mixedBayes(
  y,
  e,
  X,
  g,
  w,
  k,
  iterations = 10000,
  burn.in = NULL,
  slope = TRUE,
  robust = TRUE,
  quant = 0.5,
  sparse = TRUE,
  structure = c("bi-level", "individual")
)

```

Arguments

y	the vector of repeated measured responses. The current version of mixedBayes only supports continuous response.
e	the long format matrix of environment (treatment) factors (a group of dummy variables).
X	the long format matrix of the intercept and time effects (time effects are optional).
g	the long format matrix of predictors (genetic factors) without intercept. Each row should be an observation vector.
w	the long format matrix of interactions between genetic factors and environment (treatment) factors.
k	the number of repeated measurements.
iterations	the number of MCMC iterations. The default value is 10,000.
burn.in	the number of iterations for burn-in. If NULL, the first half of MCMC iterations will be used as burn-ins.
slope	logical flag. If TRUE, random intercept-and-slope model will be used. Otherwise, random intercept model will be used. The default value is TRUE.
robust	logical flag. If TRUE, robust methods will be used. Otherwise, non-robust methods will be used. The default value is TRUE.

quant	the quantile level specified by users. The default value is 0.5.
sparse	logical flag. If TRUE, spike-and-slab priors will be adopted to impose exact sparsity on regression coefficients. Otherwise, Laplacian shrinkage will be adopted. The default value is TRUE.
structure	two choices are available. "bi-level" for selection on both the main and interaction effects corresponding to individual and group levels. "individual" for selections on individual-level only.

Details

Consider the data model described in "data":

$$Y_{ij} = X_{ij}^{\top} \gamma_0 + E_{ij}^{\top} \gamma_1 + \sum_{l=1}^p G_{ijl} \gamma_{2l} + \sum_{l=1}^p W_{ijl}^{\top} \gamma_{3l} + Z_{ij}^{\top} \alpha_i + \epsilon_{ij}.$$

, with $W_{ij} = G_{ij} \otimes E_{ij}$.

where γ_0 is the coefficient vector for X_{ij} , γ_1 is the coefficient vector for E_{ij} , γ_{2l} is the coefficient for the main effect of the l th genetic variant, and γ_{3l} is the coefficient vector for the interaction effect of the l th genetic variant with environment factors.

For random intercept-and-slope model, $Z_{ij}^{\top} = (1, j)$ and $\alpha_i = (\alpha_{i1}, \alpha_{i2})^{\top}$. For random intercept model, $Z_{ij}^{\top} = 1$ and $\alpha_i = \alpha_{i1}$.

When 'structure="bi-level"', bi-level selection will be conducted. If 'structure="individual"', individual-level selection will be conducted.

When 'slope=TRUE' (default), random intercept-and-slope model will be used as the mixed effects model.

When 'sparse=TRUE' (default), spike-and-slab priors are imposed to identify important main and interaction effects. Otherwise, Laplacian shrinkage will be used.

When 'robust=TRUE' (default), the distribution of ϵ_{ij} is defined as an asymmetric Laplace distribution with density.

$f(\epsilon_{ij}|\theta, \tau) = \theta(1 - \theta) \exp\{-\tau \rho_{\theta}(\epsilon_{ij})\}$, ($i = 1, \dots, n, j = 1, \dots, k$), which leads to a Bayesian formulation of quantile regression. If 'robust=FALSE', ϵ_{ij} follows a normal distribution.

Please check the references for more details about the prior distributions.

Value

an object of class 'mixedBayes' is returned, which is a list with component:

posterior	the posteriors of coefficients.
coefficient	the estimated coefficients.
burn.in	the total number of burn-ins.
iterations	the total number of iterations.

See Also

[data](#)

Examples

```
data(data)

## default method (robust sparse bi-level selection under random intercept-and-slope model)
fit = mixedBayes(y,e,X,g,w,k,structure=c("bi-level"))
fit$coefficient

## Compute TP and FP
b = selection(fit,sparse=TRUE)
index = which(coeff!=0)
pos = which(b != 0)
tp = length(intersect(index, pos))
fp = length(pos) - tp
list(tp=tp, fp=fp)

## alternative: robust sparse individual level selections under random intercept-and-slope model
fit = mixedBayes(y,e,X,g,w,k,structure=c("individual"))
fit$coefficient

## alternative: non-robust sparse bi-level selection under random intercept-and-slope model
fit = mixedBayes(y,e,X,g,w,k,robust=FALSE, structure=c("bi-level"))
fit$coefficient

## alternative: robust sparse bi-level selection under random intercept model
fit = mixedBayes(y,e,X,g,w,k,slope=FALSE, structure=c("bi-level"))
fit$coefficient
```

selection

Variable selection for a mixedBayes object

Description

Variable selection for a mixedBayes object

Usage

```
selection(obj, sparse)
```

Arguments

obj	mixedBayes object.
sparse	logical flag. If TRUE, spike-and-slab priors will be used to shrink coefficients of irrelevant covariates to zero exactly..

Details

If sparse, the median probability model (MPM) (Barbieri and Berger, 2004) is used to identify predictors that are significantly associated with the response variable. Otherwise, variable selection is based on 95% credible interval. Please check the references for more details about the variable selection.

Value

an object of class ‘selection’ is returned, which is a list with component:

index a vector of indicators of selected effects.

References

Ren, J., Zhou, F., Li, X., Ma, S., Jiang, Y. and Wu, C. (2023). Robust Bayesian variable selection for gene-environment interactions. *Biometrics*, 79(2), 684–694 doi:10.1111/biom.13670

Barbieri, M.M. and Berger, J.O. (2004). Optimal predictive model selection. *Ann. Statist.*, 32(3):870–897

See Also

[mixedBayes](#)

Examples

```
data(data)
## sparse
fit = mixedBayes(y,e,X,g,w,k,structure=c("bi-level"))
selected=selection(fit,sparse=TRUE)
selected

## non-sparse
fit = mixedBayes(y,e,X,g,w,k,sparse=FALSE,structure=c("bi-level"))
selected=selection(fit,sparse=FALSE)
selected
```

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