

# Package ‘TruncExpFam’

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**Title** Truncated Exponential Family

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**Description** Handles truncated members from the exponential family of probability distributions. Contains functions such as rtruncnorm() and dtruncpois(), which are truncated versions of rnorm() and dpois() from the stats package that also offer richer output containing, for example, the distribution parameters. It also provides functions to retrieve the original distribution parameters from a truncated sample by maximum-likelihood estimation.

**License** GPL-3

**Encoding** UTF-8

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**Suggests** knitr, rmarkdown, testthat

**URL** <https://ocbe-uio.github.io/TruncExpFam/>

**BugReports** <https://github.com/ocbe-uio/TruncExpFam/issues>

**VignetteBuilder** knitr

**Language** en-US

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.onAttach	<i>Prints welcome message on package load</i>
-----------	---

### Description

Prints package version number and welcome message on package load

### Usage

```
.onAttach(libname, pkgname)
```

### Arguments

libname	library location. See ?base:::onAttach for details
pkgname	package name. See ?base:::onAttach for details

---

**averageT***Averages out the sufficient statistics  $T(y)$* 

---

**Description**

Takes a vector of values and returns the column average of their sufficient statistic (determined by their class)

**Usage**

```
averageT(y)
```

**Arguments**

y	vector of values
---	------------------

**Value**

A vector with the average of the sufficient statistics

---

---

**dtruncbeta***Probability Density Function*

---

**Description**

Calculates the PDF for a given truncated distribution

**Usage**

```
dtruncbeta(y, shape1, shape2, eta, a = 0, b = 1, ...)
dtruncbinom(y, size, prob, eta, a = 0, b = attr(y, "parameters")$size, ...)
dtruncchisq(y, df, eta, a = 0, b = Inf, ...)
dtrunccontbern(y, lambda, eta, a = 0, b = 1, ...)
dtrunccontbern(y, lambda, eta, a = 0, b = 1, ...)
dtrunc(y, ...)
dtruncexp(y, rate = 1, eta, a = 0, b = Inf, ...)
dtruncgamma(y, shape, rate = 1, scale = 1/rate, eta, a = 0, b = Inf, ...)
dtruncinvgamma(y, shape, rate = 1, scale = 1/rate, eta, a = 0, b = Inf, ...)
```

```

dtruncinvgauss(y, m, s, eta, a = 0, b = Inf, ...)

dtrunclnorm(y, meanlog = 0, sdlog = 1, eta, a = 0, b = Inf, ...)

## S3 method for class 'trunc_nbinom'
dtrunc(y, size, prob, eta, a = 0, b = Inf, ...)

dtruncnbinom(y, size, prob, eta, a = 0, b = Inf, ...)

dtruncnbinom(y, size, prob, eta, a = 0, b = Inf, ...)

dtruncnorm(y, mean = 0, sd = 1, eta, a = -Inf, b = Inf, ...)

dtruncpois(y, lambda, eta, a = 0, b = Inf, ...)

```

## Arguments

<i>y</i>	output from rtrunc or any valid numeric value(s).
<i>shape1</i>	positive shape parameter alpha
<i>shape2</i>	positive shape parameter beta
<i>eta</i>	vector of natural parameters
<i>a</i>	point of left truncation. For discrete distributions, <i>a</i> will be included in the support of the truncated distribution.
<i>b</i>	point of right truncation
...	size
<i>size</i>	target for number of successful trials, or dispersion parameter (the shape parameter of the gamma mixing distribution). Must be strictly positive, need not be integer.
<i>prob</i>	probability of success on each trial
<i>df</i>	degrees of freedom for "parent" distribution
<i>lambda</i>	mean and var of "parent" distribution
<i>rate</i>	inverse gamma rate parameter
<i>shape</i>	inverse gamma shape parameter
<i>scale</i>	inverse gamma scale parameter
<i>m</i>	vector of means
<i>s</i>	vector of dispersion parameters
<i>meanlog</i>	mean of untruncated distribution
<i>sdlog</i>	standard deviation of untruncated distribution
<i>mean</i>	mean of parent distribution
<i>sd</i>	standard deviation is parent distribution

**Value**

The density of  $y$  for the given values of the  $\eta$  parameter.

**Note**

Either the common or the natural parameters must be provided.

**Examples**

```
# Using the output of rtrunc  
y <- rtrunc(50, mean = 5, sd = 2)  
dtrunc(y, eta = c(0, -1))  
  
# Directly-inputting values  
dtruncnorm(y = c(5, 0, -10), eta = c(0, -0.05))
```

---

empiricalParameters     *Calculate empirical parameters*

---

**Description**

Returns the empirical parameter estimate for a distribution

**Usage**

```
empiricalParameters(y, ...)
```

**Arguments**

<code>y</code>	output of <code>rtrunc</code>
<code>...</code>	other arguments passed to methods

**Value**

A vector of parameter estimates for the input sample

**Examples**

```
# Normal distribution  
sampNorm <- rtrunc(50, mean = 5, sd = 2)  
empiricalParameters(sampNorm)  
  
# Poisson distribution  
sampPois <- rtrunc(10, lambda = 100, family = "Poisson")  
empiricalParameters(sampPois)
```

`empiricalParameters.numeric`  
*Extract parameters*

## Description

Extract parameters

## Usage

```
## S3 method for class 'numeric'
empiricalParameters(y, family = "gaussian", natural = FALSE, ...)
```

## Arguments

<code>y</code>	Numeric vector containing observations from a random variable
<code>family</code>	Distribution family to assume for <code>y</code>
<code>natural</code>	Should output be in terms of the natural parameter eta?
<code>...</code>	arguments passed to <a href="#">empiricalParameters()</a>

## Examples

```
# Some random data
x <- c(
  4, 3, 6, 3, 3, 3, 3, 4, 3, 2, 3, 0, 4, 2, 0, 1, 4, 3, 0, 0, 2, 3, 0, 3, 7,
  2, 1, 1, 2, 3, 2, 3, 3, 2, 2, 2, 0, 2, 0, 2, 1, 0, 2, 3, 1, 0, 4, 2, 2,
  0, 1, 1, 1, 2, 2, 3, 1, 3, 1, 1, 0, 3, 3, 2, 0, 2, 2, 3, 0, 2, 1, 0, 0, 1,
  0, 2, 4, 2, 3, 3, 0, 1, 0, 5, 2, 4, 2, 7, 4, 4, 1, 2, 4, 3, 2, 4, 3, 1, 3
)

# Extracting parameters under different distribution assumptions
empiricalParameters(x, family = "normal")
empiricalParameters(x, family = "normal", natural = TRUE)
empiricalParameters(x, family = "binomial", nsize = max(x))
empiricalParameters(x, family = "poisson", natural = FALSE)
empiricalParameters(x, family = "poisson", natural = TRUE)
```

`genrtruncClass`      *Generates an rtrunc-dispatchable class*

## Description

Matches a list of arguments to an rtrunc method

## Usage

```
genrtruncClass(n, family, parms)
```

**Arguments**

n	sample size
family	distribution family
parms	list of parameters passed to rtrunc (through the ... element)

**Value**

A character string.

**Author(s)**

Waldir Leoncio

**mlEstimationTruncDist** *ML Estimation of Distribution Parameters*

**Description**

ML-estimation of the parameters of the distribution of the specified family, truncated at y.min and y.max

**Usage**

```
mlEstimationTruncDist(
  y,
  y.min = attr(y, "truncation_limits")$a,
  y.max = attr(y, "truncation_limits")$b,
  tol = 1e-05,
  max.it = 100,
  delta = 0.33,
  print.iter = 0,
  ny = 100,
  family = NULL,
  ...
)
```

**Arguments**

y	Sequence spanning the domain of the truncated distribution
y.min	Lower bound for y
y.max	Upper bound for y
tol	Error tolerance for parameter estimation
max.it	Maximum number of iterations
delta	Indirectly, the difference between consecutive iterations to compare with the error tolerance

<code>print.iter</code>	Determines the frequency of printing (i.e., prints every <code>print.iter</code> iterations)
<code>ny</code>	size of intermediate <code>y</code> range sequence. Higher values yield better estimations but slower iterations
<code>family</code>	distribution family to use
<code>...</code>	other parameters passed to subfunctions

## Details

If `print.iter` = TRUE, the function prints the iteration, the sum of squares of `delta.eta.j`(`delta.L2`), and the current parameter estimates. The `delta` argument of this function is a factor in the calculation of `delta.eta.j`, which in turn is a factor in the calculation of `delta.L2`.

## Value

A vector of class `trunc_*` containing the maximum-likelihood estimation of the underlying distribution \* parameters.

## Author(s)

René Holst

## References

Inspired by Salvador: Pueyo: "Algorithm for the maximum likelihood estimation of the parameters of the truncated normal and lognormal distributions"

## Examples

```
sample_size <- 1000
# Normal
sample.norm <- rtrunc(n = sample_size, mean = 2, sd = 1.5, a = -1)
mlEstimationTruncDist(
  sample.norm,
  y.min = -1, max.it = 500, delta = 0.33,
  print.iter = TRUE
)

# Log-Normal
sample.lognorm <- rtrunc(
  n = sample_size, family = "lognormal", meanlog = 2.5, sdlog = 0.5, a = 7
)
ml_lognormal <- mlEstimationTruncDist(
  sample.lognorm,
  y.min = 7, max.it = 500, tol = 1e-10, delta = 0.3,
  print.iter = FALSE
)
ml_lognormal

# Poisson
sample.pois <- rtrunc(
  n = sample_size, lambda = 10, a = 4, family = "Poisson"
)
```

```
)  
mlEstimationTruncDist(  
  sample.pois,  
  y.min = 4, max.it = 500, delta = 0.33,  
  print.iter = 5  
)  
  
# Gamma  
sample.gamma <- rtrunc(  
  n = sample_size, shape = 6, rate = 2, a = 2, family = "Gamma"  
)  
mlEstimationTruncDist(  
  sample.gamma,  
  y.min = 2, max.it = 1500, delta = 0.3,  
  print.iter = 10  
)  
  
# Negative binomial  
sample.nbinom <- rtruncnbinom(  
  sample_size, size = 50, prob = .3, a = 100, b = 120  
)  
mlEstimationTruncDist(sample.nbinom, r=10)
```

---

natural2parameters     *Convert natural parameters to distribution parameters*

---

## Description

Convert natural parameters to distribution parameters

## Usage

```
natural2parameters(eta, ...)
```

## Arguments

eta	vector of natural parameters
...	other arguments passed to methods

## Value

A vector of the original distribution parameters

## See Also

[parameters2natural\(\)](#)

## Examples

```
samp <- rtrunc(n = 100, lambda = 2, family = "Poisson")
lambda_hat <- empiricalParameters(samp)
eta_hat <- parameters2natural(lambda_hat)
natural2parameters(eta_hat) # yields back lambda
```

**parameters2natural**      *Convert distribution parameters to natural parameters*

## Description

Convert distribution parameters to natural parameters

## Usage

```
parameters2natural(parms, ...)
```

## Arguments

parms	A vector of parameters in a distribution distribution
...	other arguments passed to methods

## Value

A vector containing the natural parameters

## See Also

[natural2parameters\(\)](#)

## Examples

```
# Poisson distribution
samp <- rtrunc(n = 100, lambda = 2, family = "Poisson")
parameters2natural(empiricalParameters(samp))
```

---

print.trunc	<i>Print sample from truncated distribution</i>
-------------	---

---

### Description

Special printing methods for trunc\_\* classes.

### Usage

```
## S3 method for class 'trunc'  
print(x, details = FALSE, ...)
```

### Arguments

x	object to print
details	if FALSE (default), hides the attributes of x
...	other arguments passed to <code>base::print.default()</code>

### Value

x with or without its attributes

### Author(s)

Waldir Leoncio

---

probdist-class	<i>Probability distribution class</i>
----------------	---------------------------------------

---

### Description

An R object describing the properties of a probability distribution.

### Value

An RC class containing statistical properties of that distribution, namely its name, parameter names and values and natural parameter names and values.

### Author(s)

Waldir Leoncio

### Examples

```
probdist(shape = 2, scale = .25, family = "gamma")  
probdist(mean = 2, sd = 10, family = "normal")  
probdist(eta1 = 2, eta2 = -1, family = "normal")
```

---

*ptrunc**Cumulative Distribution Function*

---

**Description**

Calculates the cumulative probability for a given truncated distribution

**Usage**

```
ptrunc(q, family, ..., lower.tail = TRUE, log.p = FALSE)

ptruncnorm(
  q,
  mean = 0,
  sd = 1,
  a = -Inf,
  b = Inf,
  ...,
  lower.tail = TRUE,
  log.p = FALSE
)

ptruncbeta(
  q,
  shape1,
  shape2,
  a = 0,
  b = 1,
  ...,
  lower.tail = TRUE,
  log.p = FALSE
)

ptruncbinom(
  q,
  size,
  prob,
  a = 0,
  b = size,
  ...,
  lower.tail = TRUE,
  log.p = FALSE
)

ptruncpois(q, lambda, a = 0, b = Inf, ..., lower.tail = TRUE, log.p = FALSE)

ptruncchisq(q, df, a = 0, b = Inf, ..., lower.tail = TRUE, log.p = FALSE)
```

```
ptrunccontbern(q, lambda, a = 0, b = 1, ...)

ptruncexp(q, rate = 1, a = 0, b = Inf, ..., lower.tail = TRUE, log.p = FALSE)

ptruncgamma(
  q,
  shape,
  rate = 1,
  scale = 1/rate,
  a = 0,
  b = Inf,
  ...,
  lower.tail = TRUE,
  log.p = FALSE
)

ptruncinvgamma(
  q,
  shape,
  rate = 1,
  scale = 1/rate,
  a = 0,
  b = Inf,
  ...,
  lower.tail = TRUE,
  log.p = FALSE
)

ptruncinvgauss(q, m, s, a = 0, b = Inf, ...)

ptrunclnorm(
  q,
  meanlog = 0,
  sdlog = 1,
  a = 0,
  b = Inf,
  ...,
  lower.tail = TRUE,
  log.p = FALSE
)

ptruncnbinom(
  q,
  size,
  prob,
  mu,
  a = 0,
```

```

b = Inf,
...
lower.tail = TRUE,
log.p = FALSE
)

```

### Arguments

<code>q</code>	vector of quantiles
<code>family</code>	distribution family to use
<code>...</code>	<i>named</i> distribution parameters and/or truncation limits ( <code>a</code> , <code>b</code> )
<code>lower.tail</code>	logical; if TRUE, probabilities are $P(X \leq x)$ otherwise, $P(X > x)$
<code>log.p</code>	logical; if TRUE, probabilities <code>p</code> are given as <code>log(p)</code>
<code>mean</code>	mean of parent distribution
<code>sd</code>	standard deviation is parent distribution
<code>a</code>	point of left truncation. For discrete distributions, <code>a</code> will be included in the support of the truncated distribution.
<code>b</code>	point of right truncation
<code>shape1</code>	positive shape parameter alpha
<code>shape2</code>	positive shape parameter beta
<code>size</code>	target for number of successful trials, or dispersion parameter (the shape parameter of the gamma mixing distribution). Must be strictly positive, need not be integer.
<code>prob</code>	probability of success on each trial
<code>lambda</code>	mean and var of "parent" distribution
<code>df</code>	degrees of freedom for "parent" distribution
<code>rate</code>	inverse gamma rate parameter
<code>shape</code>	inverse gamma shape parameter
<code>scale</code>	inverse gamma scale parameter
<code>m</code>	vector of means
<code>s</code>	vector of dispersion parameters
<code>meanlog</code>	mean of untruncated distribution
<code>sdlog</code>	standard deviation of untruncated distribution
<code>mu</code>	alternative parametrization via mean

### Value

The cumulative probability of `y`.

### Examples

```

ptrunc(0)
ptrunc(6, family = "gaussian", mean = 5, sd = 10, b = 7)
pnorm(6, mean = 5, sd = 10) # for comparison

```

---

`qtrunc`*Quantile Function*

---

### Description

Calculates quantile for a given truncated distribution and probability.

### Usage

```
qtrunc(p, family, ..., lower.tail = TRUE, log.p = FALSE)

qtruncbeta(
  p,
  shape1,
  shape2,
  a = 0,
  b = 1,
  ...,
  lower.tail = TRUE,
  log.p = FALSE
)

qtruncbinom(
  p,
  size,
  prob,
  a = 0,
  b = size,
  ...,
  lower.tail = TRUE,
  log.p = FALSE
)

qtruncchisq(p, df, a = 0, b = Inf, ..., lower.tail = TRUE, log.p = FALSE)

qtrunccontbern(p, lambda, a = 0, b = 1, ..., lower.tail = TRUE, log.p = FALSE)

qtruncexp(p, rate = 1, a = 0, b = Inf, ..., lower.tail = TRUE, log.p = FALSE)

qtruncgamma(
  p,
  shape,
  rate = 1,
  scale = 1/rate,
  a = 0,
  b = Inf,
  ...,
```

```

lower.tail = TRUE,
log.p = FALSE
)

qtruncinvgamma(
  p,
  shape,
  rate = 1,
  scale = 1/rate,
  a = 0,
  b = Inf,
  ...,
  lower.tail = TRUE,
  log.p = FALSE
)

qtruncinvgauss(p, m, s, a = 0, b = Inf, ..., lower.tail = TRUE, log.p = FALSE)

qtrunclnorm(
  p,
  meanlog = 0,
  sdlog = 1,
  a = 0,
  b = Inf,
  ...,
  lower.tail = TRUE,
  log.p = FALSE
)

qtruncnbnom(
  p,
  size,
  prob,
  mu,
  a = 0,
  b = Inf,
  ...,
  lower.tail = TRUE,
  log.p = FALSE
)

qtruncnorm(
  p,
  mean = 0,
  sd = 1,
  a = -Inf,
  b = Inf,
  ...
)

```

```

    lower.tail = TRUE,
    log.p = FALSE
)

qtruncpois(p, lambda, a = 0, b = Inf, ..., lower.tail = TRUE, log.p = FALSE)

```

### Arguments

p	vector of quantiles
family	distribution family to use
...	<i>named</i> distribution parameters and/or truncation limits (a, b)
lower.tail	logical; if TRUE, probabilities are $P(X \leq x)$ otherwise, $P(X > x)$
log.p	logical; if TRUE, probabilities p are given as log(p)
shape1	positive shape parameter alpha
shape2	positive shape parameter beta
a	point of left truncation. For discrete distributions, a will be included in the support of the truncated distribution.
b	point of right truncation
size	target for number of successful trials, or dispersion parameter (the shape parameter of the gamma mixing distribution). Must be strictly positive, need not be integer.
prob	probability of success on each trial
df	degrees of freedom for "parent" distribution
lambda	mean and var of "parent" distribution
rate	inverse gamma rate parameter
shape	inverse gamma shape parameter
scale	inverse gamma scale parameter
m	vector of means
s	vector of dispersion parameters
meanlog	mean of untruncated distribution
sdlog	standard deviation of untruncated distribution
mu	alternative parametrization via mean
mean	mean of parent distribution
sd	standard deviation is parent distribution

### Value

The quantile of p.

### Examples

```

qtrunc(0.75)
qtrunc(.2, family = "gaussian", mean = 5, sd = 10, b = 7)
qnorm(.2, mean = 5, sd = 10) # for comparison

```

## Description

Random generation for the truncated exponential family distributions. Please refer to the "Details" and "Examples" section for more information on how to use this function.

## Usage

```
rtruncbeta(n, shape1, shape2, a = 0, b = 1, faster = FALSE)

rtruncbinom(n, size, prob, a = 0, b = size, faster = FALSE)

rtruncchisq(n, df, a = 0, b = Inf, faster = FALSE)

rtrunccontbern(n, lambda, a = 0, b = 1, faster = FALSE)

rtruncexp(n, rate = 1, a = 0, b = Inf, faster = FALSE)

rtruncgamma(n, shape, rate = 1, scale = 1/rate, a = 0, b = Inf, faster = FALSE)

rtruncinvgamma(
  n,
  shape,
  rate = 1,
  scale = 1/rate,
  a = 0,
  b = Inf,
  faster = FALSE
)

rtruncinvgauss(n, m, s, a = 0, b = Inf, faster = FALSE)

rtrunclnorm(n, meanlog, sdlog, a = 0, b = Inf, faster = FALSE)

rtruncnbinom(n, size, prob, mu, a = 0, b = Inf, faster = FALSE)

rtruncnorm(n, mean, sd, a = -Inf, b = Inf, faster = FALSE)

rtruncpois(n, lambda, a = 0, b = Inf, faster = FALSE)

rtrunc(family = "gaussian", faster = FALSE, ...)

rtrunc_direct(n, family = "gaussian", parms, a, b, ...)
```

## Arguments

n	sample size
shape1	positive shape parameter alpha
shape2	positive shape parameter beta
a	point of left truncation. For discrete distributions, a will be included in the support of the truncated distribution.
b	point of right truncation
faster	if TRUE, samples directly from the truncated distribution (more info in details)
size	target for number of successful trials, or dispersion parameter (the shape parameter of the gamma mixing distribution). Must be strictly positive, need not be integer.
prob	probability of success on each trial
df	degrees of freedom for "parent" distribution
lambda	mean and var of "parent" distribution
rate	inverse gamma rate parameter
shape	inverse gamma shape parameter
scale	inverse gamma scale parameter
m	vector of means
s	vector of dispersion parameters
meanlog	mean of untruncated distribution
sdlog	standard deviation of untruncated distribution
mu	alternative parametrization via mean
mean	mean of parent distribution
sd	standard deviation of parent distribution
family	distribution family to use
...	individual arguments to each distribution
parms	list of parameters passed to rtrunc (through the ... element)

## Details

One way to use this function is by calling the `rtrunc` generic with the `family` parameter of your choice. You can also specifically call one of the methods (e.g. `rtruncpois(10, lambda=3)` instead of `rtrunc(10, family="poisson", lambda=3)`). The latter is more flexible (i.e., easily programmable) and package.

Setting `faster=TRUE` uses a new algorithm that samples directly from the truncated distribution, as opposed to the old algorithm that samples from the untruncated distribution and then truncates the result. The advantage of the new algorithm is that it is way faster than the old one, particularly for highly-truncated distributions. On the other hand, the sample for untruncated distributions called through `rtrunc()` will no longer match their [stats](#)-package counterparts for the same seed.

**Value**

A sample of size n drawn from a truncated distribution  
 vector of one of the *rtrunc\_\** classes containing the sample elements, as well as some attributes related to the chosen distribution.

**Note**

The current sample-generating algorithm may be slow if the distribution is largely represented by low-probability values. This will be fixed soon. Please follow <https://github.com/ocbe-uiot/TruncExpFam/issues/72> for details.

**Author(s)**

René Holst, Waldir Leôncio

**Examples**

```
# Truncated binomial distribution
sample.binom <- rtrunc(
  100, family = "binomial", prob = 0.6, size = 20, a = 4, b = 10
)
sample.binom
plot(
  table(sample.binom), ylab = "Frequency", main = "Freq. of sampled values"
)

# Truncated Log-Normal distribution
sample.lognorm <- rtrunc(
  n = 100, family = "lognormal", meanlog = 2.5, sdlog = 0.5, a = 7
)
summary(sample.lognorm)

hist(
  sample.lognorm,
  nclass = 35, xlim = c(0, 60), freq = FALSE,
  ylim = c(0, 0.15)
)

# Normal distribution
sample.norm <- rtrunc(n = 100, mean = 2, sd = 1.5, a = -1)
head(sample.norm)
hist(sample.norm, nclass = 25)

# Gamma distribution
sample.gamma <- rtrunc(n = 100, family = "gamma", shape = 6, rate = 2, a = 2)
hist(sample.gamma, nclass = 15)

# Poisson distribution
sample.pois <- rtrunc(n = 10, family = "poisson", lambda = 10, a = 4)
sample.pois
plot(table(sample.pois))
```

---

**TruncExpFam***Truncated Exponential Family*

---

**Description**

TruncExpFam is an R package to handle truncated members from the exponential family.

**Details**

This package offers truncated counterparts of the density-, distribution-, quantile- and sampling-functions for a broad range of distributions from the exponential family, as implemented in the `stats` package.

The package also provides functions for estimating the parameters of the distributions from data, given the truncation limits.

For more info, please check `rtrunc()`, `dtrunc()` and `print.trunc()`. Counterparts for density and probability functions are on the roadmap for a future release.

**Supported distributions**

- Beta
- Binomial
- Chi-Square
- Continuous Bernoulli
- Exponential
- Gamma
- Inverse Gamma
- Inverse Gaussian
- Log-normal
- Negative Binomial
- Normal
- Poisson

**Note**

Found a bug? Want to suggest a feature? Contribute to the scientific and open source communities by opening an issue on our home page. Check the "BugReports" field on `packageDescription("TruncExpFam")` for the URL.

**Author(s)**

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## See Also

Useful links:

- <https://ocbe-uio.github.io/TruncExpFam/>
- Report bugs at <https://github.com/ocbe-uio/TruncExpFam/issues>

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`validateFamilyParms`     *Validate family parameters*

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## Description

Checks if a combination of distribution family and parameters is valid.

## Usage

```
validateFamilyParms(family, parms)
```

## Arguments

<code>family</code>	character with family distribution name
<code>parms</code>	character vector with distribution parameter names

## Value

list telling if family-parm combo is valid + the family name

## Author(s)

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