

# Package ‘rsdNE’

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**Type** Package

**Title** Response Surface Designs with Neighbour Effects (rsdNE)

**Version** 1.3.0

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**Description** Response surface designs with neighbour effects are suitable for experimental situations where it is expected that the treatment combination administered to one experimental unit may affect the response on neighboring units as well as the response on the unit to which it is applied (Dalal et al.,2025 <[doi:10.57805/revstat.v23i2.513](https://doi.org/10.57805/revstat.v23i2.513)>).

Integrating these effects in the response surface model improves the experiment's precision

Verma A., Jaggi S., Varghese, E.,Varghese, C.,Bhowmik, A., Datta, A. and Hema-

vathi M. (2021)<[doi:10.1080/03610918.2021.1890123](https://doi.org/10.1080/03610918.2021.1890123)>).

This package includes sym(), asym1(), asym2(), asym3() and asym4() functions that generates response surface designs which are rotatable under a polynomial model of a given order without interaction term incorporating neighbour effects.

**License** GPL (>= 2)

**Encoding** UTF-8

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**RoxygenNote** 7.3.2

**NeedsCompilation** no

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asym1	<i>This generates a class of asymmetric rotatable response surface designs with neighbour effects under a second order model</i>
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### Description

This function generates asymmetrical rotatable response surface designs in the presence of neighbour effects for  $2n$  factors,  $n$  factors at 2 levels and another  $n$  factors at 3 levels.

### Usage

```
asym1(n1, n2, c)
```

### Arguments

n1	n1 factors having 2 levels, $1 \leq n1$
n2	n2 factors having 3 levels, $1 \leq n2$
c	Value of alpha (Coefficient of neighbour effects), $0 \leq c \leq 1$

### Value

This function generates rotatable designs as well as  $Z_{\text{prime}}Z$  matrix,  $\text{inv}(Z_{\text{prime}}Z)$  matrix and variance estimated response for the  $(2^{n1} * 3^{n2})$  factorial combination.

### Note

Here 3 types of cases have been considered:  $(2^{n1} * 3^{n2})$ , where,  $n1 = n2 = n$ ;  $(2^{n1} * 3)$ , where,  $n1 = n$  and  $n2 = 1$ ;  $(2 * 3^{n2})$ , where,  $n1 = 1$  and  $n2 = n$ .

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## References

Verma et al.2021, Communication in Statistics – Simulation and Computation

## Examples

```
library(rsdNE)
asym1(1,1,0.5)
```

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asym2	<i>This generates a class of asymmetric rotatable response surface designs with neighbour effects under a polynomial model of order <math>\max(s1,s2)-1</math></i>
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## Description

This function generates asymmetrical rotatable response surface designs in the presence of neighbour effects for  $(n1 + n2)$  factors,  $n1$  factors at  $s1$  levels and another  $n2$  factors at  $s2$  levels.

## Usage

```
asym2(s1, n1, s2, n2, c)
```

## Arguments

s1	Number of levels of $n1$ factors, $2 \leq s1$
n1	Number of factors, $1 \leq n1$
s2	Number of levels of $n2$ factors, $2 \leq s2$
n2	Number of factors, $1 \leq n2$
c	Value of alpha (Coefficient of neighbour effects), $0 \leq c \leq 1$

## Value

This function generates rotatable designs as well as  $Z\_prime\_Z$  matrix,  $inv(Z\_primeZ)$  matrix and variance estimated response for the  $(s1^{n1} * s2^{n2})$  factorial combination.

## Note

Here  $s1$  and  $s2$  both not even at the same time and  $s1$  not equal to  $s2$ .

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**References**

Dalal, 2021, Unpublished M.Sc. Thesis, IARI, New Delhi

**Examples**

```
library(rsdNE)
asym2(2, 2, 5, 2, 0.7)
```

---

asym3

*This generates a class of asymmetric rotatable response surface designs with neighbour effects under a polynomial model of order  $\max(s1, s2, s3)-1$*

---

**Description**

This function generates asymmetrical rotatable response surface designs in the presence of neighbour effects for  $(n1 + n2 + 1)$  factors,  $n1$  factors at  $s1$  levels,  $n2$  factors at  $s2$  levels and one factor with  $s3$  levels.

**Usage**

```
asym3(s1, n1, s2, n2, s3, c)
```

**Arguments**

s1	Number of levels of $n1$ factors, $2 \leq s1$
n1	Number of factors possesses $s1$ levels, $2 \leq n1$
s2	Number of levels of $n2$ factors, $2 \leq s2$
n2	Number of factors possesses $s2$ levels, $2 \leq n2$
s3	Number of levels of one factor, $2 \leq s3$
c	Value of alpha (Coefficient of neighbour effects), $0 \leq c \leq 1$

**Value**

This function generates rotatable designs as well as  $Z_{\text{prime}}Z$  matrix,  $\text{inv}(Z_{\text{prime}}Z)$  matrix and variance estimated response for the  $(s_1^{n_1} \times s_2^{n_2} \times s_3)$  factorial combination.

**Note**

Here  $s_1$  and  $s_2$  should not be multiple of each other.

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**References**

Dalal, A. (2021), Unpublished M.Sc. Thesis, IARI, New Delhi  
 Dalal, A., Jaggi, S., Varghese, E., Bhowmik, A., Varghese, C. and Datta, A. (2025). Rotatable Response Surface Designs for  $S_1^{n_1} \times S_2^{n_2}$  Incorporating Neighbour Effects. Vol. 23 No. 2 (2025): REVSTAT-Statistical Journal

**Examples**

```
library(rsdNE)
asym3(2, 2, 3, 2, 5, 0.5)
```

---

asym4

*This generates a class of asymmetric rotatable response surface designs with neighbour effects under a polynomial model of order  $\max(s_1, s_2, s_3) - 1$*

---

**Description**

This function generates asymmetrical rotatable response surface designs in the presence of neighbour effects for  $(n_1 + n_2 + n_3)$  factors,  $n_1$  factors at  $s_1$  levels,  $n_2$  factors at  $s_2$  levels and another  $n_3$  factors at  $s_3$  levels.

**Usage**

```
asym4(s1, n1, s2, n2, s3, n3, c = 0.1)
```

**Arguments**

s1	Number of levels of n1 factors, $2 \leq s1$
n1	Number of factors possesses s1 levels, $2 \leq n1$
s2	Number of levels of n2 factors, $2 \leq s2$
n2	Number of factors possesses s2 levels, $2 \leq n2$
s3	Number of levels of n3 factors, $2 \leq s3$
n3	Number of factors possesses s3 levels, $2 \leq n3$
c	Value of alpha (Coefficient of neighbour effects), $0 \leq c \leq 1$

**Value**

his function generates rotatable designs as well as  $Z\_prime\_Z$  matrix,  $inv(Z\_primeZ)$  matrix and variance estimated response for the  $(s1^{n1} \times s2^{n2} \times s3^{n3})$  factorial combination.

**Note**

Here any two of s1, s2 and s3 should not be multiple of each other.

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**References**

Dalal, 2021, Unpublished M.Sc. Thesis, IARI, New Delhi Rotatable Response Surface Designs for  $S1^{n1} \times S2^{n2}$  Incorporating Neighbour Effects by Dalal et al. 2025(<doi:https://doi.org/10.57805/revstat.v23i2.513>).

**Examples**

```
## Not run:
library(rsdNE)
asym4(2, 2, 3, 2, 5, 2, 0.1)

## End(Not run)
```

---

sym	<i>This generates a class of symmetric rotatable response surface designs with neighbour effects under a polynomial model of order (s1-1)</i>
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### Description

This function generates symmetrical rotatable response surface designs in the presence of neighbour effects for n1 factors each at s1 levels.

### Usage

```
sym(s1, n1, c)
```

### Arguments

s1	Number of levels of n1 factors, $2 \leq s1$
n1	Number of factors, $2 \leq n1$
c	Value of alpha (Coefficient of neighbour effects), $0 \leq c \leq 1$

### Value

This function generates rotatable designs as well as  $Z_{\text{prime}}Z$  matrix,  $\text{inv}(Z_{\text{prime}}Z)$  matrix and variance estimated response for the  $(s1^{n1})$  factorial combination.

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### References

Sarika et al.2009, Communications in Statistics-Theory and Methods; Sarika et al.2013, Ars Combinatoria

### Examples

```
library(rsdNE)
sym(2,2,0.3)
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